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# Operational conditions of a screw-feeder-equipped high-pressure roller mill

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## Abstract

The throughput characteristic of a screw feeder and of a high-pressure roller mill equipped with it are investigated with four quartz materials 100/400  $\mu\text{m}$ , –400  $\mu\text{m}$ , –100  $\mu\text{m}$ , –20  $\mu\text{m}$ . The feeder throughput is proportional to the screw speed and does not depend on the counter-pressure created by varying the outlet resistance. The mill throughputs at different roller velocities line up to a proportionality to the screw speed. The screw speed has to exceed a lower limit to ensure a proper mill operation. This limit depends on the feed fineness. A screw feeder can increase the throughput by a factor 2 at the same roller velocity. The additional power draft can be kept smaller than 10% of the total power as the screw speed is adjusted properly.

## Résumé

Les caractéristiques du débit d'une vis sans fin, et celles d'un broyeur à cylindre à haute-pression comportant une vis sans fin, sont déterminées à l'aide de quatre granulations de quartz: 100/400  $\mu\text{m}$ , –400  $\mu\text{m}$ , –100  $\mu\text{m}$ , –20  $\mu\text{m}$ . Le débit de la vis est proportionnel à sa vitesse de rotation et indépendant de la contre-pression produite par l'étranglement à la sortie de la vis. Le débit du broyeur, pour les différentes vitesses du cylindre, est proportionnel à la vitesse de rotation de la vis. Afin que le broyeur fonctionne silencieusement, la vitesse de rotation de la vis doit dépasser une limite basse qui dépend de la finesse de la mouture. La puissance supplémentaire nécessitée par la vis, après un bon réglage de sa vitesse de rotation, est inférieure à 10% de la puissance totale. © 1999 Elsevier Science S.A. All rights reserved.

*Keywords:* High-pressure roller mill; Screw feeder; Fine grinding

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## 1. Introduction

High-pressure roller mills are advantageously equipped with screw feeders if a fine material is fed containing a high fraction below 100  $\mu\text{m}$  [1,2]. A screw feeder creates an additional pressure upon the material entering the mill and improves by that the material introduction, which is disturbed by the air squeezed from the voids as the particle bed is compacted. The air velocity rises proportionally to the roller speed [3]; however, the drag force reduces with decreasing particle size; the roller speed, therefore, is limited depending on the feed fineness. The application of a screw feeder is well known for briquetting rollers, see, e.g., Refs. [4–6].

The mill and the screw feeder are two devices with different throughput characteristics and connected to each other without any buffer in-between. Therefore, the individual characteristic of each should be known to adjust properly the operational parameters, particularly those of the screw feeder so that its power draft remains moderately.

The volumetric mill throughput is usually expressed by the equation

$$\dot{V}_M = \delta_s(1 - \zeta_s) sLu \quad (1)$$

with the relative bulk density  $\delta_s$  and the slip factor  $\zeta_s$ , both in the axial plane, the gap width  $s$ , the roller length  $L$  and the circumferential speed  $u$ . The slip is unknown and usually assumed to be zero. The value of  $\delta_s$  and  $s$  cannot be predicted easily even for coarse materials. The vertical pressure caused by the material column in the feeder shaft or by a screw feeder is not included directly in Eq. (1);

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however, it affects  $\delta_s$  and  $s$ , and with fine materials, that pressure determines mainly the mill performance.

The volumetric throughput of a screw feeder is expressed according to Ref. [7] as:

$$\begin{aligned} \dot{V}_S &= \kappa \delta_{SF} a_S v_{ax} \\ A_S &= (\pi/4)(D_{ST}^2 - D_{SS}^2) = k_A (\pi/4) D_{ST}^2 \\ k_A &= 1 - (D_{SS}/D_{ST})^2 \\ v_{ax} &= \pi D_S n_S G(\phi, \psi) \\ G(\phi, \psi) &= \tan \phi \tan \psi / (\tan \phi + \tan \psi) \quad \tan \phi = S_S / \pi D_S \end{aligned} \quad (2)$$

where  $\kappa$ : filling ratio of the screw,  $\delta_{SF}$ : relative bulk density at the outlet,  $D_{ST}$ : screw tube diameter,  $D_S$ : screw diameter,  $D_{SS}$ : screw shaft diameter,  $n_S$ : number of screw revolution,  $\phi$ : screw inclination angle,  $S_S$ : screw pitch and  $\psi$ : transportation angle.

In Eq. (2)  $\kappa$ ,  $\delta_{SF}$  and  $\psi$  are unknown and have to be determined experimentally.

## 2. Experimental devices and materials

The screw feeder device is shown in Fig. 1. Its special design allows to mount it above the lab-scale mill (see Fig.

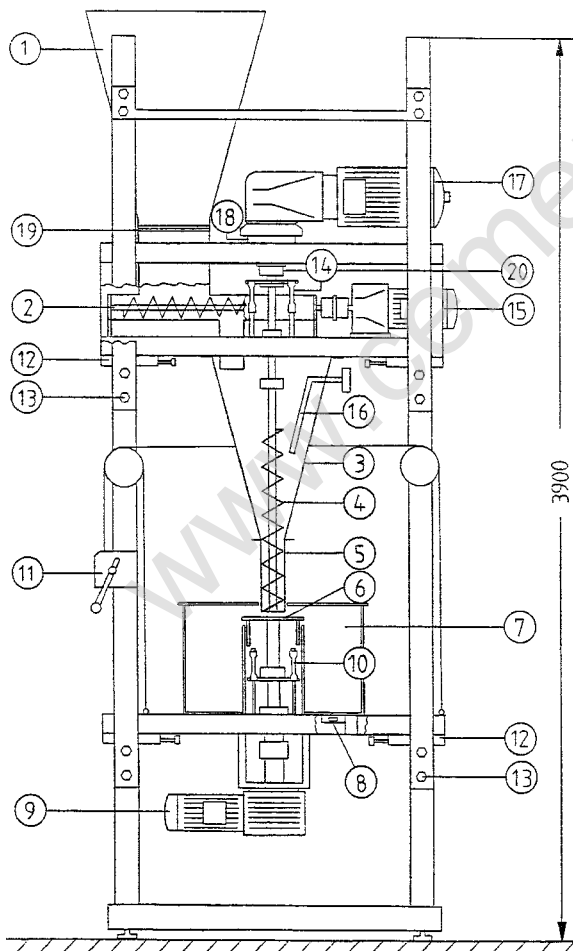


Fig. 1. Sketch of the screw feeder device.

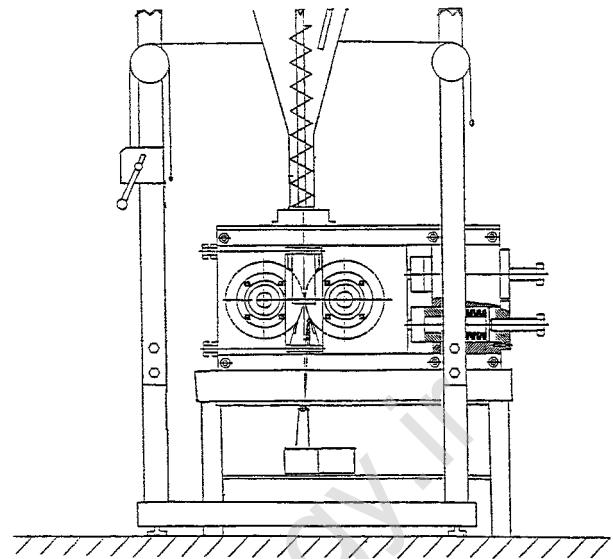


Fig. 2. Sketch of the high-pressure roller mill with screw feeder.

2). The design parameters are as follows: tube diameter  $D_{ST} = 105$  mm, screw diameter  $D_S = 104$  mm, tube length = 300 mm, screw shaft diameter  $D_{SS} = 40$  mm, screw pitch = 63.8 or 104.7 mm, screw inclination angle  $\phi = 11.0^\circ$  or  $17.8^\circ$ , speed 20 to 220 rpm, throughput 100 to 3000 kg/h. Both screws are called as the 60-screw and the 100-screw.

The feed material is loaded into the hopper 1 and transported with the auxiliary screw 2 to the screw funnel 3. The sensor 16 controls the filling level. The feeding screw 4 transports downward the material against the rotating disc 6, which distributes it in the container 7. The distance  $d_D$  between the screw tube 5 and the disc and also the disc speed can be adjusted within a certain range, in order to vary the resistance against the material flow and by that the resulting pressure. The following parame-

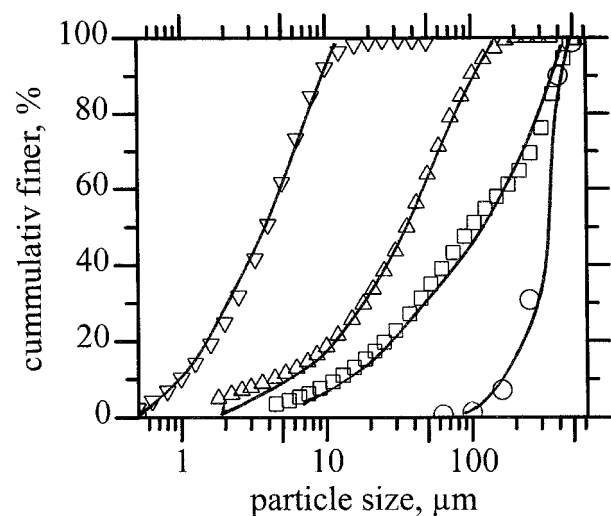


Fig. 3. Particle size distribution of the test materials.

Table 1  
Properties of the test materials, quartz,  $\rho = 2650 \text{ kg/m}^3$

No.	Size range ( $\mu\text{m}$ )	Relative bulk density		$x_{50}$ ( $\mu\text{m}$ )	Eff. friction angle (deg)	Wall friction angle (deg)
		Loose (%)	Vibrated (%)			
1	100/400	51	60	300	36	22
2	–400	52	67	90	37	24
3	–100	44	57	36	37	26
4	–20	26	34	4	38	26

ters are measured: material mass in the container, the screw speed and torque, the screw shaft force and the force acting upon the disc.

The mill has rollers with 200 mm diameter and 100 mm length. The fixed roller (left) is equipped with dam rings to prevent bypassing of material. More details on the devices and the test procedure can be found in Ref. [8]. The experiments were performed with four materials of quartz (see Fig. 3 and Table 1).

### 3. Screw feeder throughput

In discussing the screw feeder characteristics, typical results of material 2 (–400  $\mu\text{m}$ ) with the 60-screw should be considered first. Fig. 4 shows the disc force  $F_D$  over the screw speed  $n_S$  for two disc gaps  $d_D = 8$  and 12 mm and three disc speeds  $n_D = 49$  and 94 or 95 rpm. Both these parameters determine the resistance which the material flow has to overcome at the outlet. It can also be seen that  $F_D$  depends strongly on it. With the smallest gap of 8 mm and the lowest disc speed of 49 rpm, the force rises steeply up to 3500 N. As  $n_D$  is increased to 95 rpm or  $d_D$  opened to 12 mm, the maximum force drops down to only

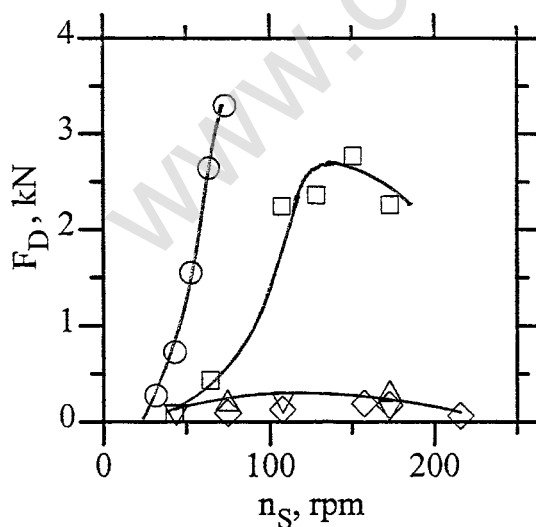


Fig. 4. Disc force  $F_D$  and screw speed  $n_S$ , material 2, 60-screw,  $d_D = 8$  and 12 mm,  $n_D = 47$  and 95 rpm,  $\circ$  8 mm/47 rpm,  $\square$  8/71,  $\Delta$  12/47,  $\diamond$  12/94.

300 N. The measured force range corresponds to average screw pressures according to  $p_S = 4F_D / \pi(D_{ST}^2 - D_{SS}^2) = F_D / 7402 \text{ mm}^2$  between 13 and 470 kPa, which is comparable with results from briquetting rolls [5]. However, it can be seen in Fig. 5 that the outlet resistance affects only slightly the throughput which is mainly controlled by the screw speed and can be approximated quite well with a linear function. The small influence of the screw pressure simplifies the following considerations; however, one has to be aware that this simplification cannot not be applied under all conditions.

In Figs. 6 and 7, the disc force  $F_D$  and the wall friction  $F_F = F_S - F_D$  are plotted over the shaft force  $F_S$ . Both  $F_D$  and  $F_F$  can be considered being approximately proportional to the shaft force  $F_S$ . This result allows to estimate the screw pressure  $p_S$  from shaft force  $F_S$  if the screw feeder is mounted on the mill, then it follows with the slope  $k_F = (F_D / F_S)$ :

$$p_S = k_F F_S / A_S \quad (3)$$

The slope  $k_F$  depends mainly on the fineness and is 0.32 for material 1, 0.55 of material 2, and 0.63 for material 3.

Fig. 8 gives an overview on the throughput characteristics of the 60-screw for all four materials and proves again that an approximation with a proportionality is reasonable. According to Eq. (2), the relation  $\dot{M}_S = k_S n_S$

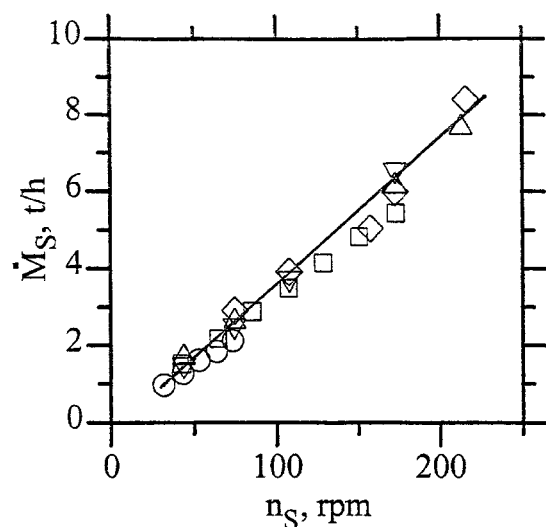


Fig. 5. Throughput and screw speed  $n_S$ , parameters as in Fig. 4.

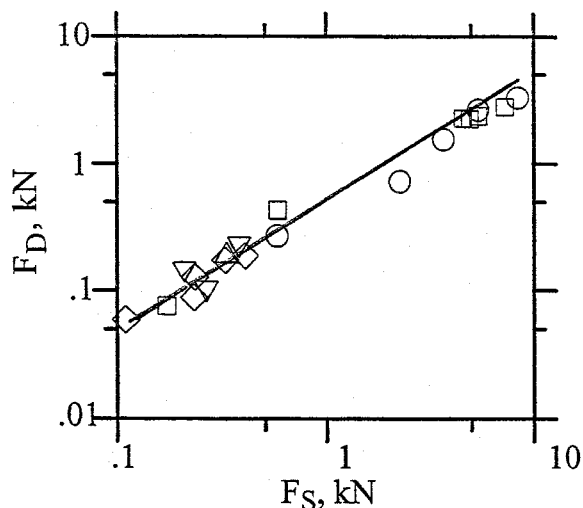


Fig. 6. Disc force  $F_D$  and shaft force  $F_S$ , parameters as in Fig. 4.

requests that the term  $\{\kappa\delta_{SF}G(\phi, \psi)\}$  has to be constant and it follows

$$G(\phi, \psi) = (4/\pi^2 k_A \kappa \delta_{SF})(k_S/\rho D_{ST}^2 D_S) = B$$

$$\tan \psi = B \tan \phi / (\tan \phi - B) \quad (4)$$

The transportation angle  $\psi$  could be calculated if the filling ratio  $\kappa$  and the relative bulk density  $\delta_{SF}$  were be known. In principle  $(\kappa\delta_{SF})$  increases as the screw works against a pressure; therefore, it should be assumed that  $\kappa$  is unity and  $\delta_{SF}$  is equal to the relative bulk density after vibration; Table 2 gives calculated  $\psi$ -values between  $15^\circ$  and  $23^\circ$ . The effective friction angles and the wall friction angles of the four materials do not differ much (s. Table 1); therefore, the transportation angle calculated with the introduced assumption, cannot be correlated to them. The 60- and 100-screw were tested with the feed materials 1 and 3. In both cases, the transportation angle increases somewhat, indicating that the throughput rises a little bit

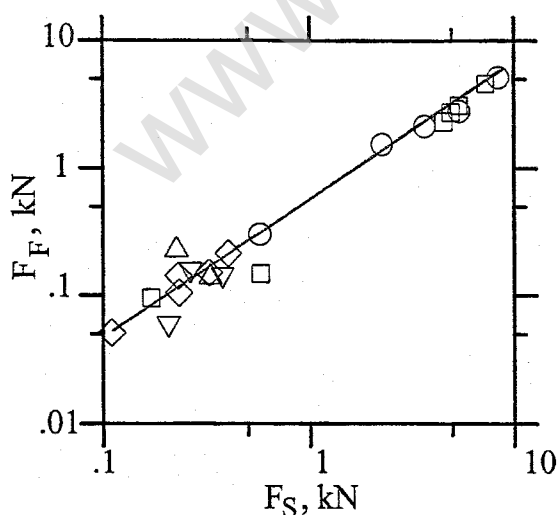


Fig. 7. Wall friction  $F_F$  and shaft force  $F_S$ , parameters as in Fig. 4.

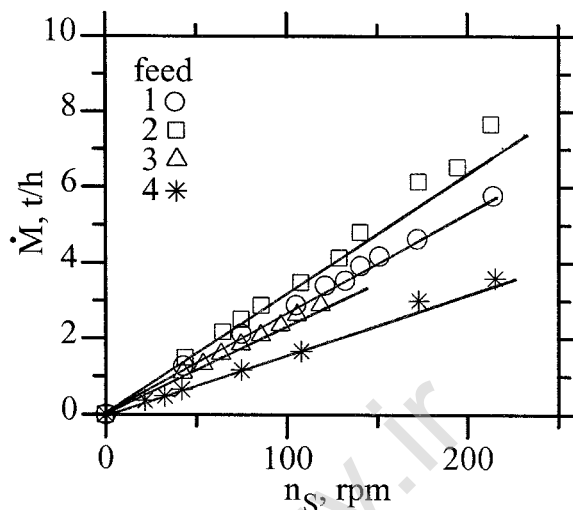


Fig. 8. Throughput  $\dot{M}_S$  and screw speed  $n_S$ , 60-screw,  $\circ$  100/400  $\mu\text{m}$ ,  $\square$  -100  $\mu\text{m}$ ,  $\triangle$  -100  $\mu\text{m}$ \*, \* -20  $\mu\text{m}$ .

more (about 8%) than what is due to the increase of the screw pitch. If the average transportation angle of  $19^\circ$  is used for all materials, then the throughput can be predicted with an accuracy of  $\pm 8\%$ .

All these considerations lead to the conclusion that within the tested range, the influence of the feed fineness is mainly correlated to the bulk density. However, two limitations of this statement should not be forgotten: (1) the tested materials are not cohesive and (2) the introduction of the materials into the screw was ensured, which may not be satisfied if the screw speed increases further.

#### 4. Mill throughput with screw feeder

The throughput of a high-pressure roller mill equipped with a screw feeder depends on the roller velocity  $u$  and the screw speed  $n_S$ . Figs. 9 and 10 show results with the materials 2 and 3, respectively, those with the materials 1 and 4 are given in Ref. [8]. The dashed line represents the screw throughput. The full symbols indicate a proper operation of the mill, the open ones a rattling operation [9].

Table 2  
Transportation angles

Screw	Material	Relative bulk density vibrated (%)	$k_S$ (kg)	$B$	Transportation angle $\psi$ (deg)
60	1	60	0.460	0.124	18.9
100	1	60	0.641	0.173	20.6
60	2	67	0.533	0.129	20.9
60	3	57	0.392	0.111	14.5
100	3	57	0.530	0.150	15.7
60	4	34	0.280	0.133	22.8

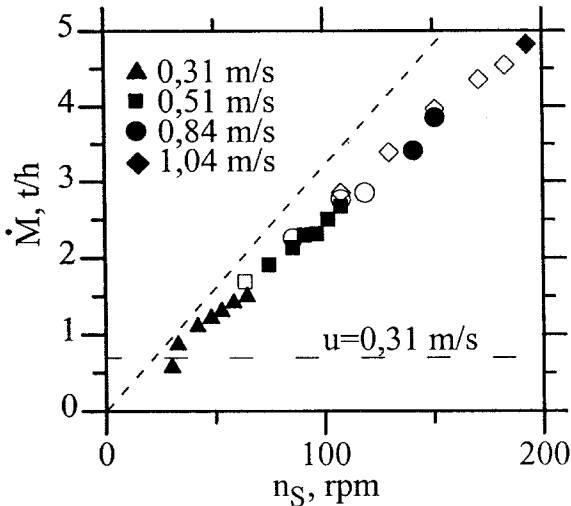


Fig. 9. Throughput  $\dot{M}$  and screw speed  $n_s$ , material 2, 60-screw, roller velocities indicated in the diagramme.

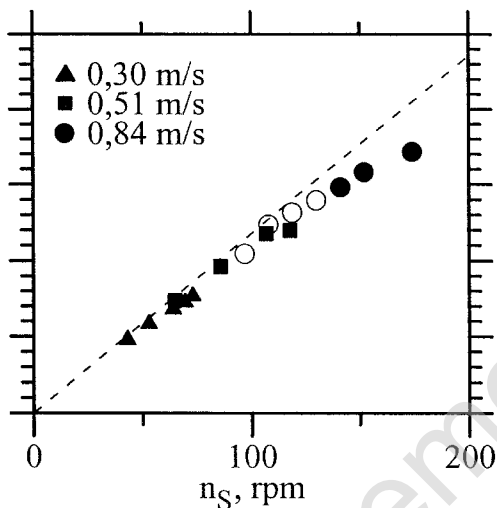


Fig. 10. Throughput  $\dot{M}$  and screw speed  $n_s$ , material 3, 60-screw, roller velocities indicated in the diagramme.

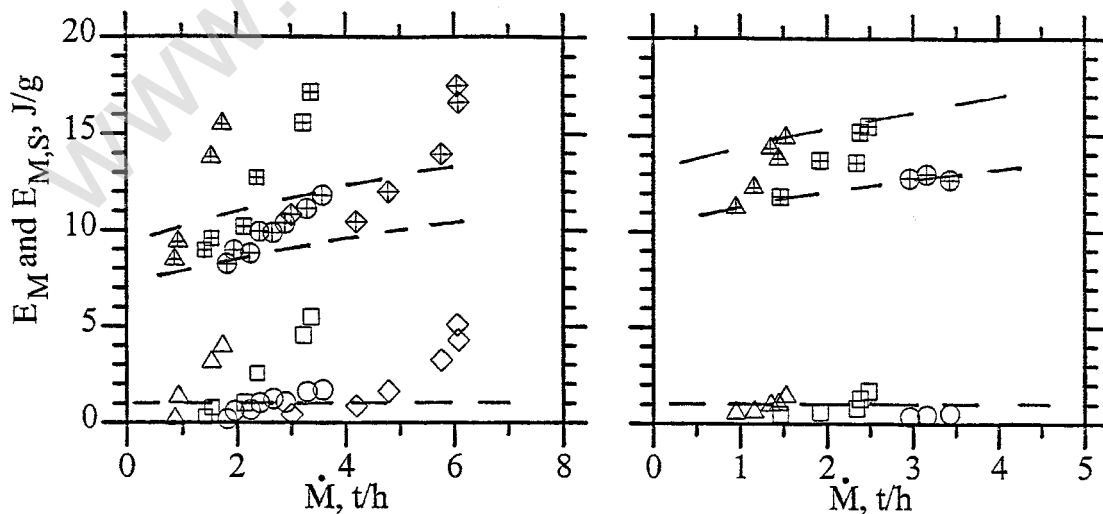


Fig. 11. Specific energy consumption of mill together with the screw feeder,  $E_M$  (symbols with +) and that one of the screw feeder alone,  $E_{M,S}$  (empty symbols) left: material 1, 60-screw,  $\triangle$  0.30 m/s,  $\square$  0.51,  $\circ$  0.84,  $\diamond$  1.05, right: material 3, 60-screw,  $\triangle$  0.30 m/s,  $\square$  0.51,  $\circ$  0.84.

The horizontal line in Fig. 9 marks the mill throughput without a screw feeder at the roller velocity of 0.31 m/s which is the upper limit for a proper operation with material 2. The materials 3 and 4 cannot be compacted without a screw feeder. The essential results of these test series are as follows.

(1) The results of the different test series at a constant roller velocity line up on one curve which can be approximated by a proportionality to the screw speed,  $\dot{M} = Kn_s$ , the slope of which depends on the feed fineness ( $K/\text{kg}$ ): 0.620 (1), 0.421 (2), 0.350 (3), 0.219 (4).

(2) The throughput is always somewhat less than the screw throughput without mill; therefore, the screw builds up a pressure. Its calculation from the screw shaft force gives values between 10 to 60 kPa;  $p_s$  rises with  $n_s$  and increasing feed fineness [8].

(3) Within the tested range, the screw feeder can increase the throughput by a factor of two as the same roller velocity.

(4) The screw speed has to exceed a lower limit to avoid a rattling operation. This limit increases with the roller velocity and depends on the feed fineness, because the screw pressure has to be high enough to prevent the disturbance of the material introduction caused by the air squeezed from the particle bed voids as it is compacted.

## 5. Energy considerations

Fig. 11 shows the specific energy consumption of the mill together with the screw feeder ( $E_M$ ) and of the screw feeder alone ( $E_{M,S}$ ) for the materials 1 (left) and 3 (right). Besides some exceptions, all  $E_M$  values are grouped within a slightly increasing narrow band, and the screw energy can be kept smaller than 10% of  $E_M$ , if the screw speed is adjusted properly. The exceptions in Fig. 11 (left) with

higher  $E_M$  and  $E_{M,S}$  values are all caused by a very high screw speed.

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